

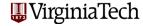
# Apparatus and Method for Characterization of Bonded Joints Mixed Mode I+II Fracture

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- motivation
  - problem definition
    - problem components data collection
      - design methodology
        - model Solidworks® and ABAQUS®
          - apparatus
            - data reduction scheme
              - o tests
                - conclusions
                  - acknowledgments

#### motivation



predict the structure toughness



joint mechanical behavior

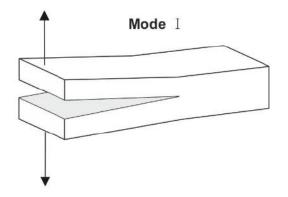


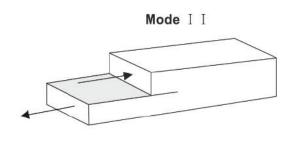
strain energy release rate in mode I , mode II and mixed-mode I+ II

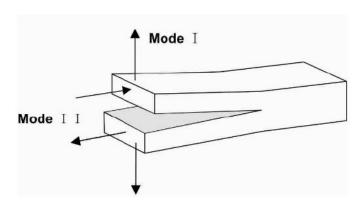


37<sup>th</sup> Annual Meeting San Diego 2014.26.02

#### problem definition







determination of the strain energy release rate in mode I, mode II and mixed mode I + II

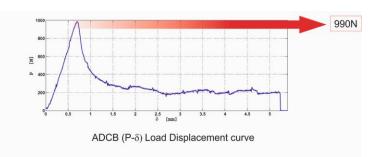
| Test name   | Test scheme  | Global Mixity,<br>Ψ<br>(Degree) |
|---|--|---------------------------------|
| Asymmetric Double<br>Cantilever Beam (ADCB)             |  | ≈ 0 - 34°                       |
| Single Leg Bending<br>(SLB)                             | <b>*</b>   | ≈ 41°                           |
| Crack Lap Shear<br>(CLS)                                | <b>*</b>   | ≈ 49°                           |
| Asymmetric Tapered<br>Double Cantilever Beam<br>(ATDCB) |  | ≈ 20°                           |
| Mixed Mode Bending<br>(MMB)                             |  | $\Psi$ = $f(c)$                 |
| Spelt Loading Jig<br>(SPELT)                            | F, δ  S <sub>2</sub> S <sub>1</sub> L <sub>1</sub> (2L-L <sub>1</sub> )  a  o  o  o  o  o  o  o  o  o  o  o  o | $\Psi = f(S_1, S_2, S_3, S_4)$  |

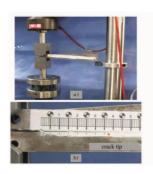
$$\psi = \arctan\left(\sqrt{G_{II}/G_{I}}\right)$$

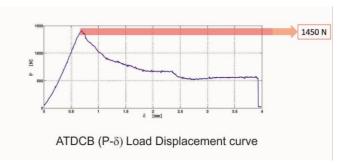
#### problem components

#### data collection

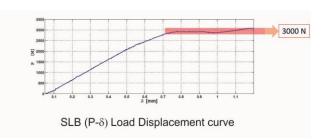












Fracture toughness of a structural adhesive under mixed mode loadings, Mat.wiss. u.Werkstofftech. 2011, 42, No. 5, 460-470

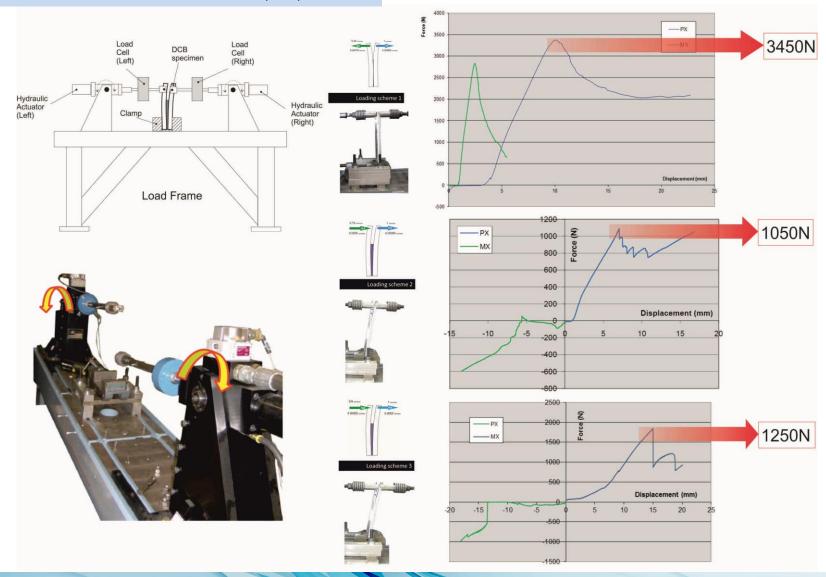
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#### Virginia Tech's Dual Actuator Loading Frame

Numerical analysis of the dual actuator load test applied to fracture characterization of bonded joints, International Journal of Solids and Structures 48 (2011) 1572–1578

#### problem components

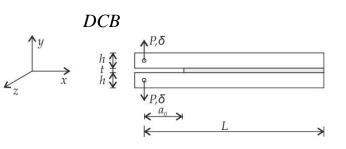
data collection



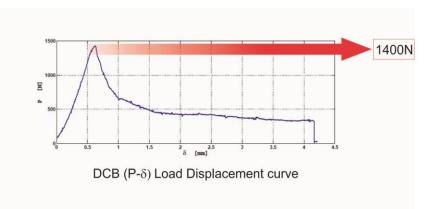
#### Pure modes [ I and II ]

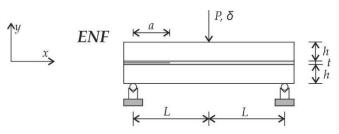
#### problem components

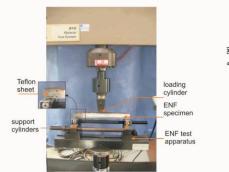
#### data collection

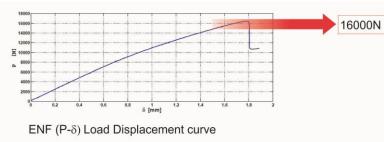






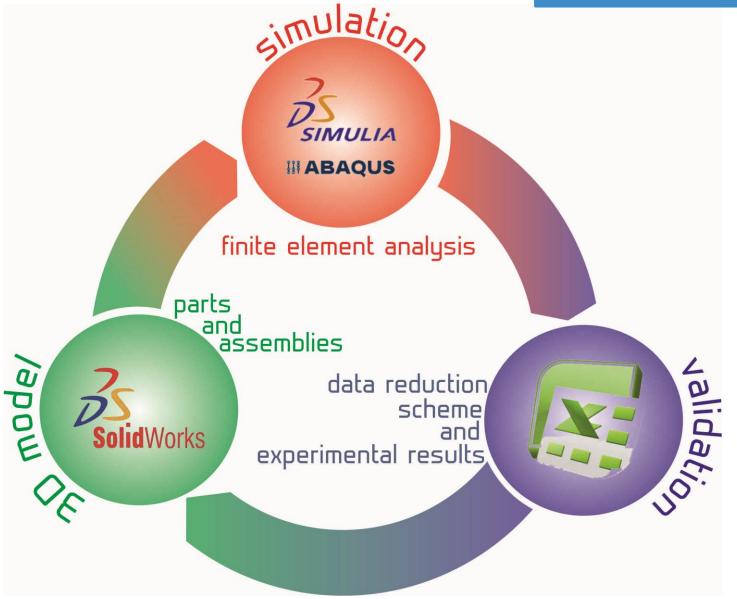






Mode II Fracture Toughness of a Brittle and a Ductile Adhesive as a Function of the Adhesive Thickness, The Journal of Adhesion, 86:889–903, 2010

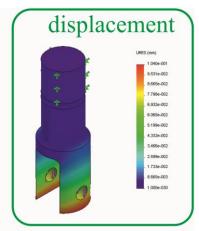
#### design methodology



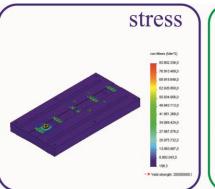
#### design methodology

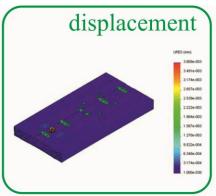
#### model - Solidworks ®



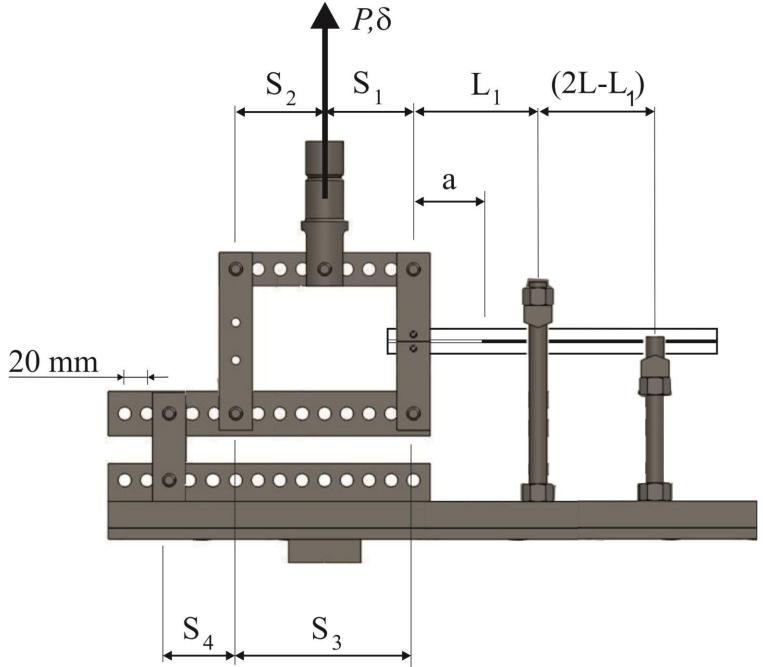




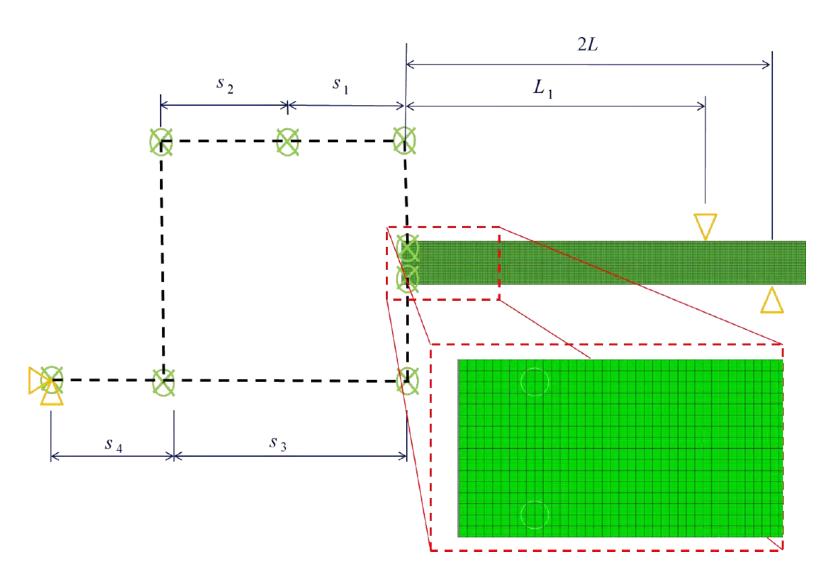




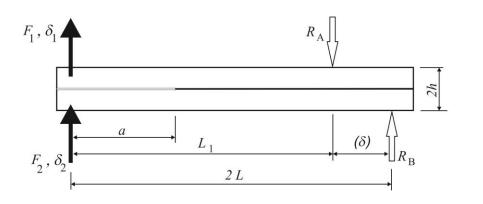








#### loading scheme



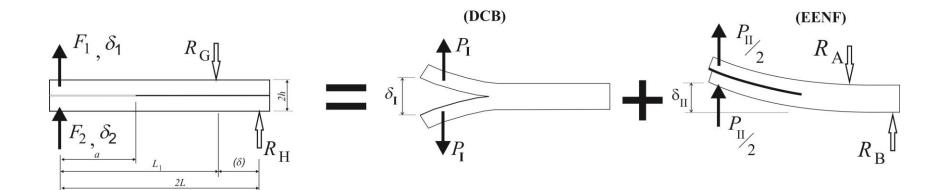
h = 12.7 mm

2L = 260 mm

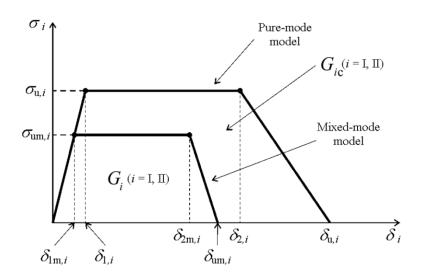
b = 25 mm

The specimen geometry is in accordance with the ASTM D3433-99

#### mode separation



#### trapezoidal traction separation law



#### cohesive law damage parameters

| Elastic pr | roperties | Cohesive properties            |   |             |              |                         |                          |
|------------|-----------|--------------------------------|---|-------------|--------------|-------------------------|--------------------------|
| (Steel)    |           | (Adhesive)                     |   |             |              |                         |                          |
| E          | G         | $\sigma_{\!\!\! \mathrm{u,I}}$ | $\sigma_{\!\scriptscriptstyle  m u,II}$ | $G_{ m Ic}$ | $G_{ m IIe}$ | $\delta_{2,\mathrm{I}}$ | $\delta_{2,\mathrm{II}}$ |
| (GPa)      | (GPa)     | (MPa)                          | (MPa)                                   | (N/mm)      | (N/mm)       | (mm)                    | (mm)                     |
| 210        | 80.77     | 23                             | 23                                      | 0.6         | 1.2          | 0.0187                  | 0.2062                   |

### Steel properties used for substrates and Jig base

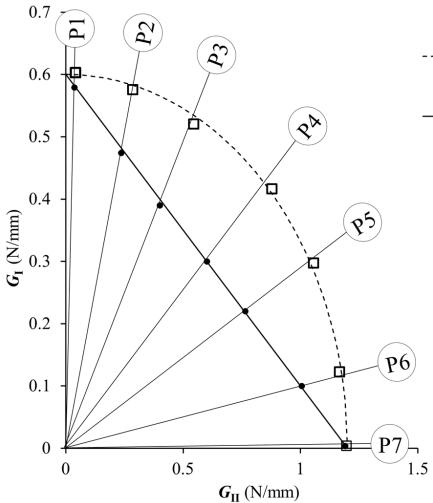
| AISI P20                       |         |  |  |  |
|--------------------------------|---------|--|--|--|
| Hardness (HB)                  | 290/330 |  |  |  |
| Yield Stress (MPa)             | 640     |  |  |  |
| Ultimate Fracture Stress (MPa) | 993     |  |  |  |
| DIN CK 45                      |         |  |  |  |
| Hardness (HB)                  | 170     |  |  |  |
| Yield Stress (MPa)             | 323     |  |  |  |
| Ultimate Fracture Stress (MPa) | 578     |  |  |  |

#### Spelt problem size in ABAQUS ®

| Number of nodes                      | 92199  |
|--------------------------------------|--------|
| Number of nodes defined by user      | 86547  |
| Number of elements                   | 79380  |
| Number of elements defined by user   | 76551  |
| Internal nodes generated by program  | 5652   |
| Internal elem. generated for contact | 2826   |
| Number of variables in the model     | 268128 |

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#### Fracture envelope for the seven scenarios considering the linear ( • ) and quadratic ( •) criteria.



-- Quadratic (criterion)

$$\left(\frac{G_I}{G_{Ic}}\right)^2 + \left(\frac{G_{II}}{G_{IIc}}\right)^2 = 1$$

—Linear (criterion)

$$\left(\frac{G_I}{G_{Ic}}\right) + \left(\frac{G_{II}}{G_{IIc}}\right) = 1$$

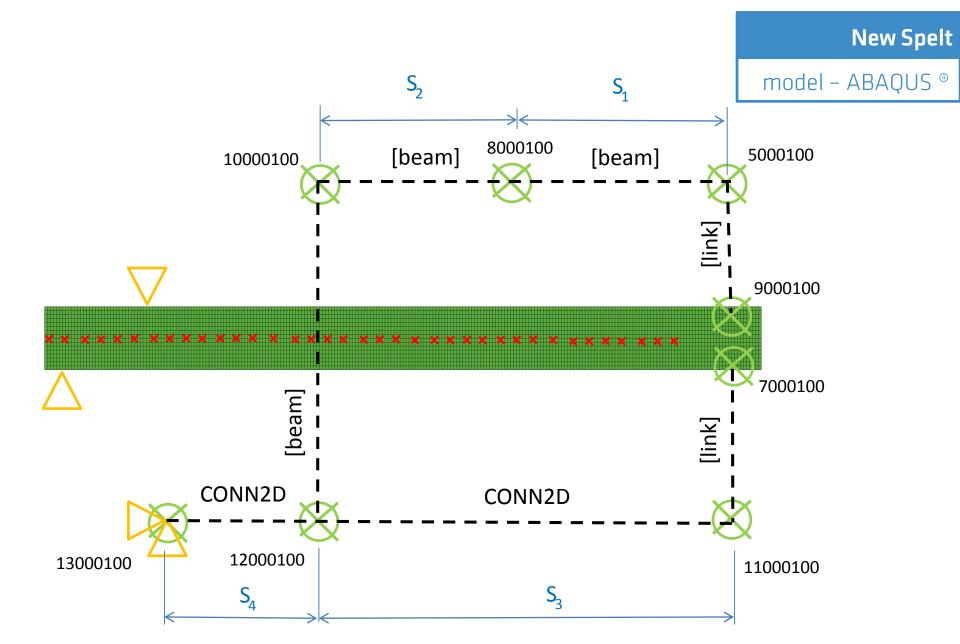
Different scenarios used for the fracture envelope calculation

|           | Jig arrangement |            |                     |                     |
|-----------|-----------------|------------|---------------------|---------------------|
| Scenarios | $s_1$ (mm)      | $s_2$ (mm) | s <sub>3</sub> (mm) | s <sub>4</sub> (mm) |
| P1        | 100             | 40         | 140                 | -60                 |
| P2        | 120             | 40         | 160                 | -120                |
| P3        | 40              | 120        | 160                 | 40                  |
| P4        | 60              | 80         | 140                 | 60                  |
| P5        | 60              | 80         | 140                 | 120                 |
| P6        | 40              | 40         | 80                  | 100                 |
| P7        | 100             | 40         | 140                 | 80                  |

# improved geometry for a smaller size spelt apparatus using the same DCB specimen

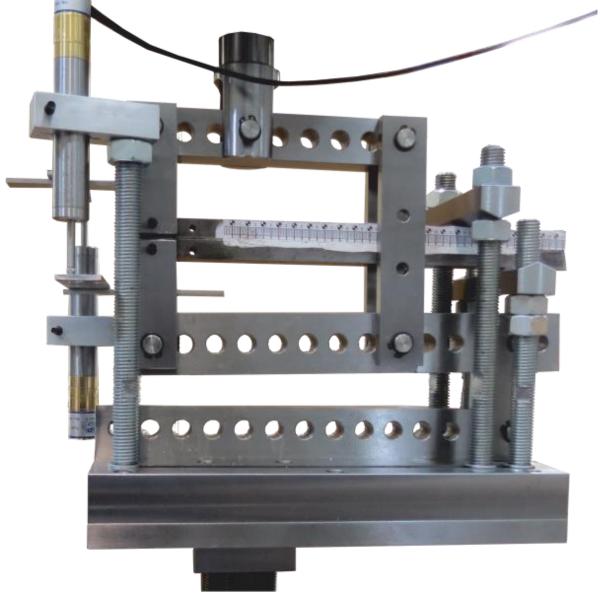








apparatus



displacements:  $\delta_1$  ,  $\delta_2$ 

#### Obtained from the Inputs **Universal Testing** Machine load

Obtained from LVDTs attached to each specimen beam

Geometry & Material

### displacements

 $S_1, S_2, S_3, S_4$ 

 $\delta_1$  ,  $\delta_2$ 

 $F_1 = F \frac{s_2}{s_3}$  ;  $F_2 = F \frac{s_1 s_4}{s_3 (s_3 + s_4)}$   $P_I = \frac{F_1 - F_2}{2}$  ;  $P_{II} = F_1 + F_2$ 

$$P_{\rm I} = \frac{F_1 - F_2}{2}$$
;  $P_{\rm II} = F_1 + F_2$ 

$$\delta_{\rm II} = \frac{\delta_1 + \delta_2}{2}$$

$$a_{eI} = \frac{1}{6\alpha} A - \frac{2\beta}{A}$$

$$a_{eII} = \left[ \left( C_{II} - \frac{6LL_{1}}{5BhG(2L - L_{1})} \right) \frac{2Bh^{3}E}{3} - \frac{2LL_{1}^{2}}{3} \right]^{1/3}$$

$$C_{\rm I} = \frac{o_{\rm I}}{P_{\rm I}}$$

$$C_{\text{II}} = \frac{\delta_{\text{II}}}{P_{\text{II}}}$$

equivalent crack length

$$G_{\rm I} = \frac{6P_{\rm I}^2}{B^2h} \left( \frac{2a_{\rm eI}^2}{h^2E} + \frac{1}{5G} \right)$$

Mode I

$$G_{\rm II} = \frac{9P_{\rm II}^2 a_{\rm eII}^2}{4B^2 h^3 E}$$

Mode II

#### data reduction scheme

using CBBM

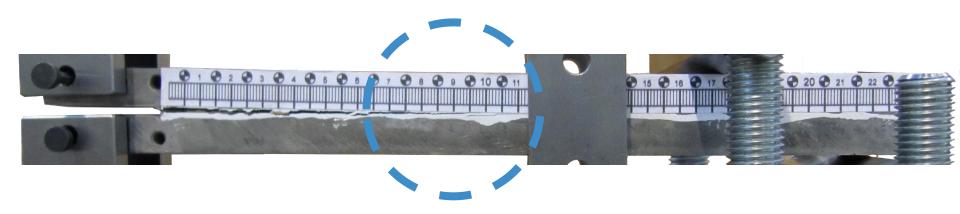
Numerical validation of a crack equivalent method for mixed-mode I + II fracture characterization of bonded joints, Engineering Fracture

Mechanics. 2013, Vol. 107, pp. 38-47

#### data reduction scheme

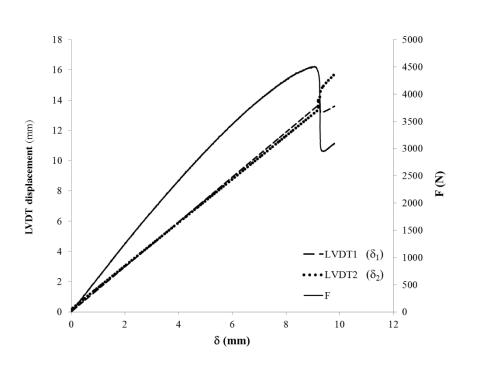
using CBBM

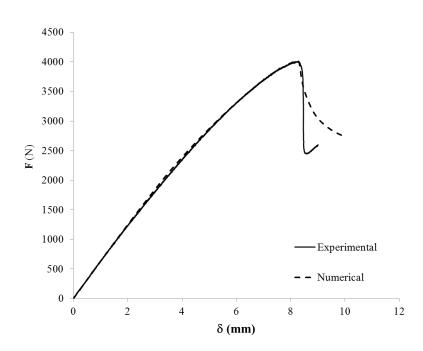
#### crack length is dificult to read



visual assessment does not account for the FPZ

#### Load vs. Displacement curves for a $\psi = 85^{\circ}$ combination

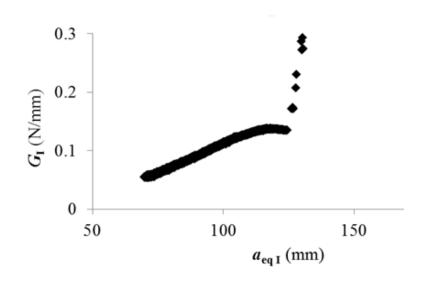


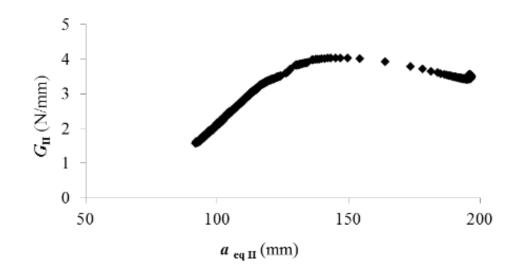


$$\psi = \arctan\left(\sqrt{G_{II}/G_{I}}\right); \ \psi = \arctan\left[\frac{\sqrt{3}\left(\frac{F_{1}}{F_{2}}+1\right)}{2\left(\frac{F_{1}}{F_{2}}-1\right)}\right]$$

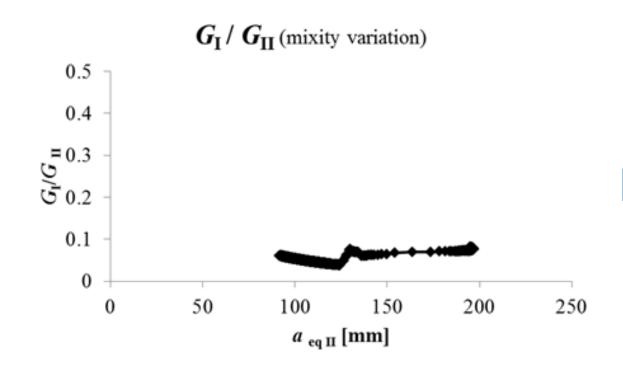
85°

#### R-curves ( $G_{\rm I}$ and $G_{\rm II}$ ) for a $\psi$ = 85° combination



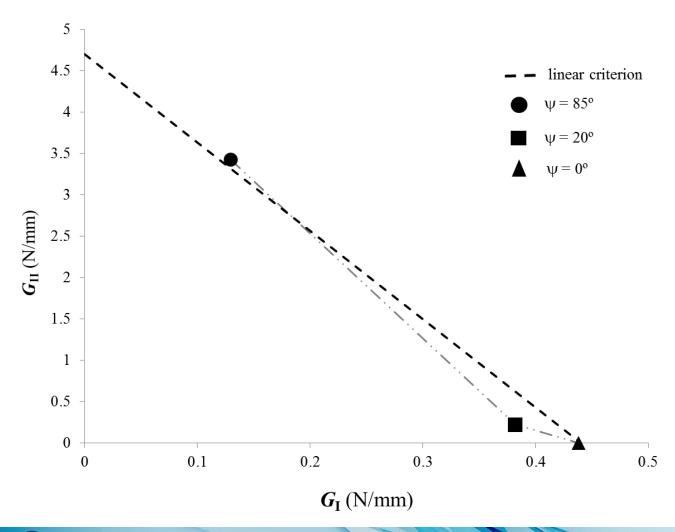


#### mixity variation ( $G_{\rm I}$ / $G_{\rm II}$ ) for a $\psi$ = 85° combination



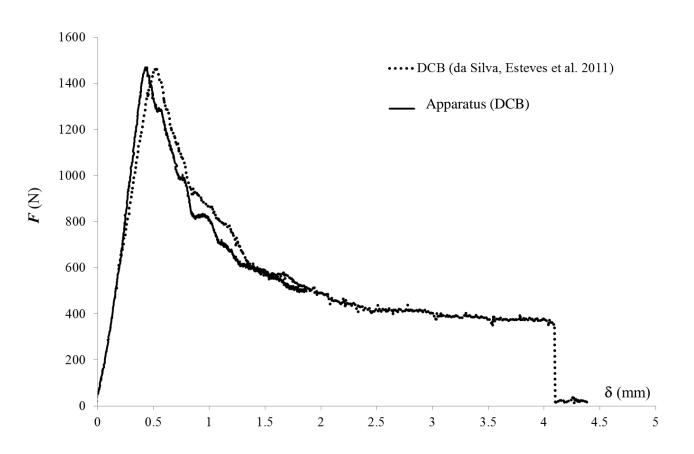
self similar crack propagation

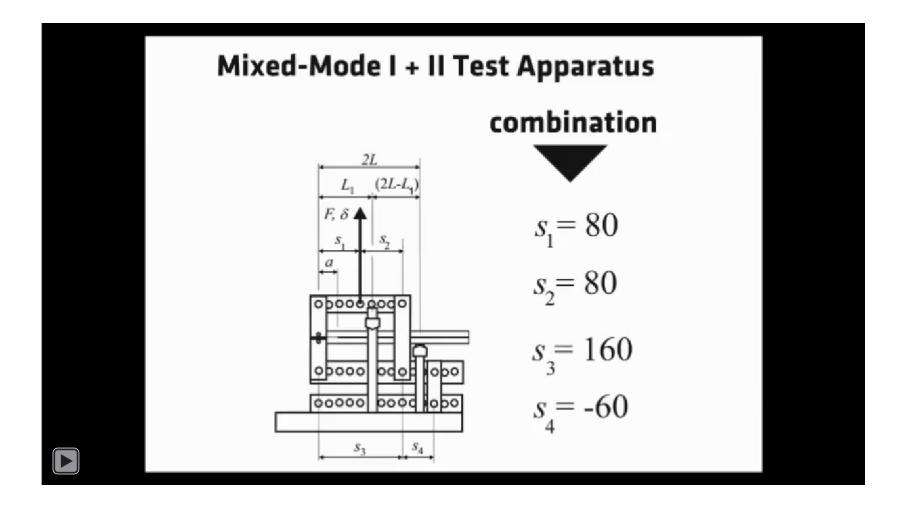
#### Fracture envelope for three experiments



verification

#### Load vs. Displacement curve for "classical" DCB and "apparatus" DCB





#### conclusions

this apparatus represents a compact version of the SPELT JIG:

- using a standard DCB specimen (universal and easy to manufacture);
- covers all range of the fracture envelope from mode I to near mode II;
- promotes a self similar crack propagation.

in combination with the proposed data reduction scheme, accounts for the FPZ and does not requires for the crack length to be measured.

the development of the testing apparatus benefited of a design methodology based in numerical simulation using Finite Element Analysis

validation prior to manufacture, avoided errors and allowed optimization of materials and parts geometry

while at simulation stage a data reduction scheme that improves the efficiency of the test was also developed benefitting of the same design methodology

this data reduction scheme was first validated recurring to numerical results and later used to analyze experimental data with good results

#### acknowledgments

the authors would like to thank "Fundação Luso-Americana para o Desenvolvimento" (FLAD) for the support through the project 314/06 2007 and Instituto de Engenharia Mecânica (IDMEC)





we also like to acknowledge the support provided to Virginia Tech by the National Science Foundation (DMR NSF 0415840) in the development of the dual loading frame capable of facilitating mixed mode studies.



## thank you

## questions?

filipechaves.com/ apparatus



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